

# Qualità del Servizio nei Sistemi Geograficamente Distribuiti

Roma, 9-10 Giugno 2004

## Delay Bounds For FIFO Aggregates

L. Lenzini, L. Martorini, E. Mingozzi, G. Stea

Università degli Studi di Pisa  
Dipartimento di Ingegneria dell'Informazione  
Via Diotisalvi, 2  
56122 Pisa

## Outline

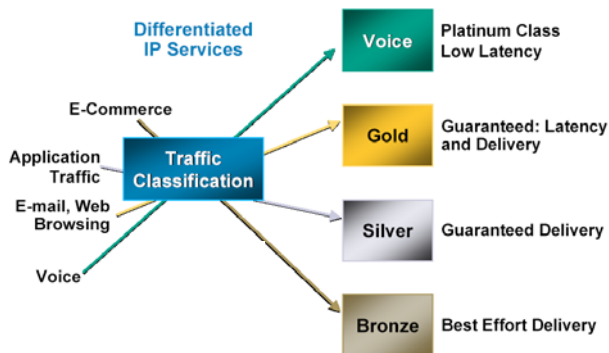
- ✓ Introduction
- ✓ Results
- ✓ Conclusions and Future Work

## Aggregate Scheduling

- ✓ Aggregate scheduling as "the" solution for scaling complexity when providing QoS in Internet
- ✓ A notable example is provided by the *Differentiated Services (DS)* architecture

## Classifier

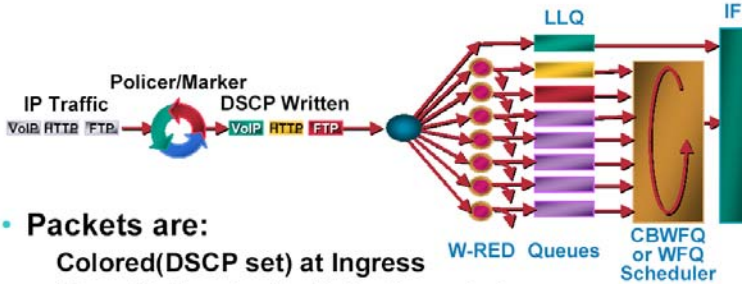
### Divide the Traffic into Classes



According to DS, packets are classified at the DS domain ingress as belonging to a small number of different QoS classes, each one receiving a differentiated service within the network

# Edge Router Components

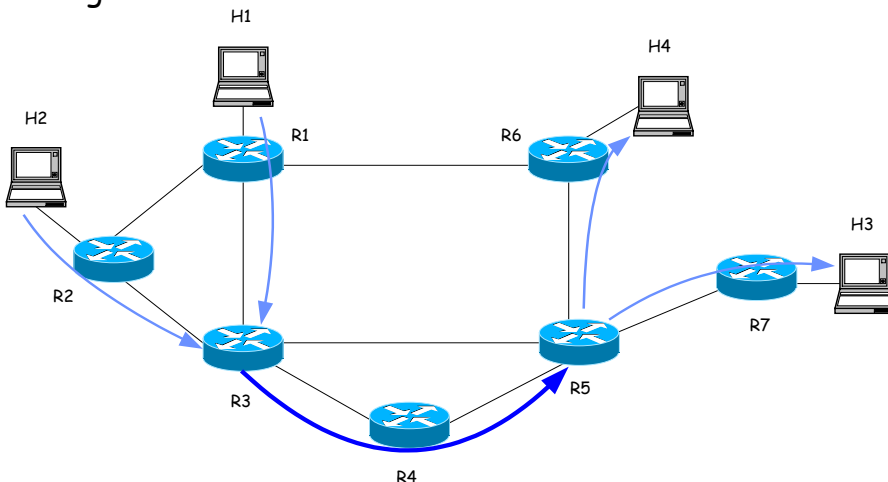
## Putting it All Together



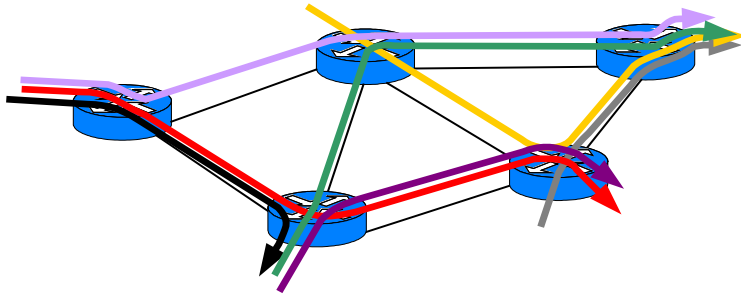
- **Packets are:**
  - Colored(DSCP set) at Ingress
  - Classified and potentially discarded by W-RED (Congestion Management)
  - Assigned to the appropriate outgoing queue
  - Scheduled for transmission by CBWFQ

# DS Interior Components

- ✓ Packets are treated at core routers according to a specified per-hop behavior (PHB), independently of the flow they belong to



## Objective



- ✓ Analytical derivation of delay bounds for individual flows given that capacity is statically reserved to the aggregate traffic at core routers
- ✓ The above bounds can be used as the base for call admission control at edge routers

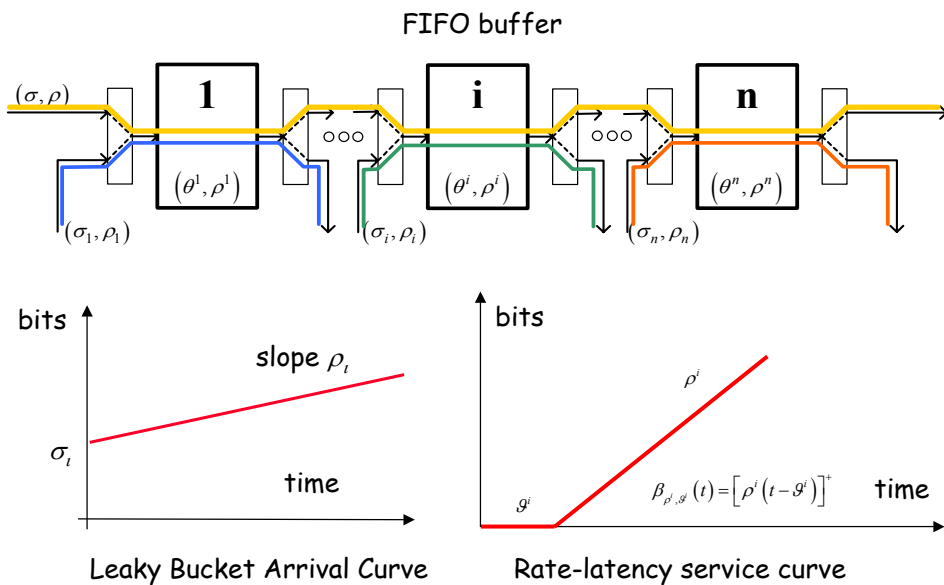
## Network Calculus

- ✓ Network Calculus is a set of tools and theories for the deterministic analysis of communication networks
- ✓ Application of min-plus algebra
- ✓ Does not supersede stochastic queueing analysis, but gives new tools for analysis of sample paths

## Related Work

- ✓ Charny, Le Boudec [QoFIS'00]
  - Generic network configuration
  - It holds for small utilization factors:  $\nu < 1/(H-1)$
  - Inversely proportional to  $1-\nu(H-1)$
- ✓ Fidler [QoS-IP'03]
  - Tandem network, any interference pattern allowed

## Case Study 1



## The result

✓ **Definition.** A subset of all nodes as follows

$$I(l) \triangleq \{i: (\rho^i - \rho_i) \leq (\rho^l - \rho_l)\}$$

❖ **Theorem.** The delay bound is as follows

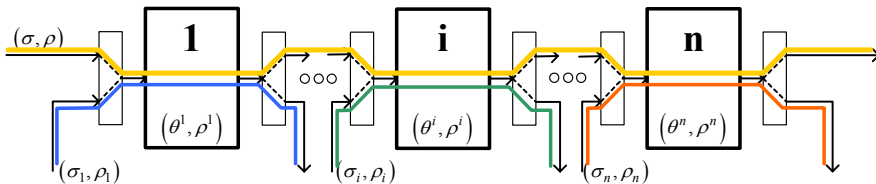
$$\sum_i \frac{\rho^i - \rho_i}{\rho^i} \leq 1 \implies h_{\text{lub}} = \sum_i \theta^i + \sum_i \frac{\sigma_i}{\rho^i} + \sum_i \frac{\sigma}{\rho^i}$$

$$\sum_i \frac{\rho^i - \rho_i}{\rho^i} > 1 \implies h_{\text{lub}} = \sum_i \theta^i + \sum_i \frac{\sigma_i}{\rho^i} + \left[ \sum_{i \in I(k)} \frac{\sigma}{\rho^i} - \frac{\sigma}{\rho^k - \rho_k} \left( \sum_{i \in I(k)} \frac{\rho^i - \rho_i}{\rho^i} - 1 \right) \right]$$

where node  $k$  is such that

$$\sum_{i \in I(k)} \frac{\rho^i - \rho_i}{\rho^i} > 1 \text{ and } \sum_{i \in I(l) \subset I(k)} \frac{\rho^i - \rho_i}{\rho^i} \leq 1 \text{ for any other } l$$

## A Special Case



✓ Assume that  $\rho^i = \rho + \rho_i$

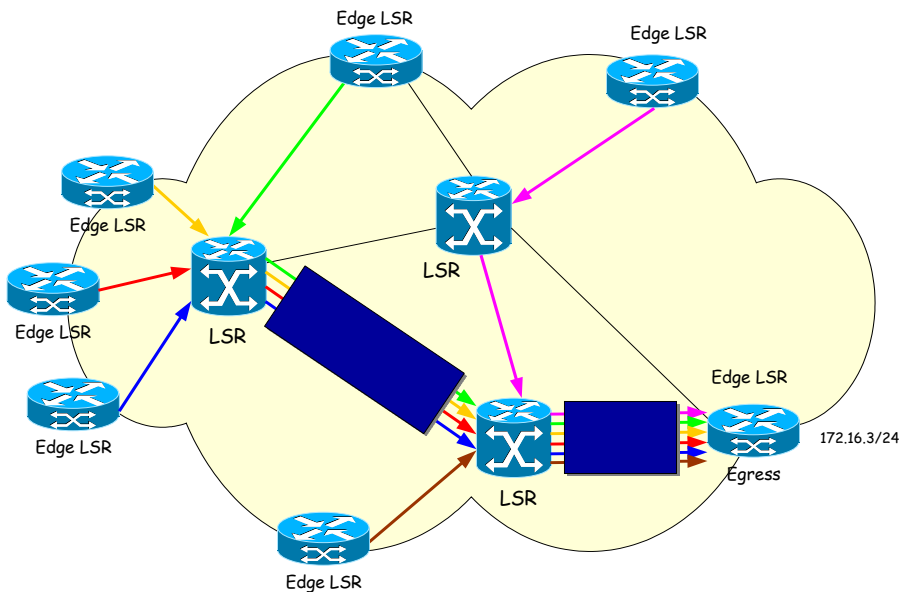
✓ According to the Theorem, the bound is

$$h_{\text{lub}} = \sum_i \theta^i + \sum_i \frac{\sigma_i}{\rho^i} + \left( \frac{\sigma}{\rho} \right) \wedge \left( \sum_i \frac{\sigma}{\rho^i} \right)$$

## Reference

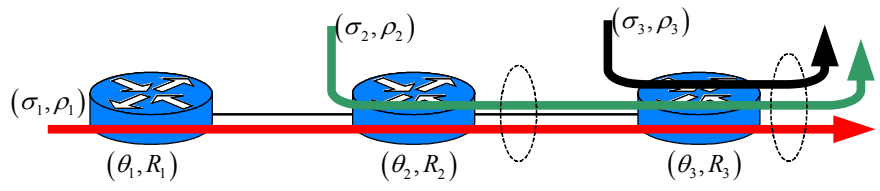
- ✓ L. Lenzini, E. Mingozzi, G. Stea, "Delay Bounds for FIFO Aggregates: a Case Study", Proceedings of the 4th COST263 International Workshop on Quality of Future Internet Services (QoFIS'03), Stockholm, Sweden, October 1-3, 2003

## Sink-Tree Aggregation



## Path model for a single flow

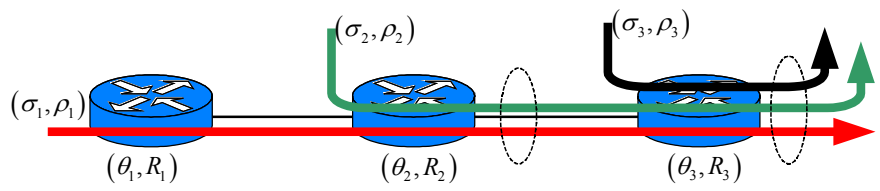
- ✓ When computing the delay bound for a single flow (e.g., the red one), a sink-tree domain can be modeled as a sequence of nodes, in each of which *one* other flow joins the aggregate
- ✓ All flows leave at the same node, i.e. the sink-tree root



## The lowest upper delay bound

- ✓ In a 3 node sink-tree, the lowest upper delay bound for a tagged flow is:

$$V = \sum_{x=1,3} \theta_x + \frac{\sigma_3}{R_3} + \frac{\sigma_2}{\wedge \left( R_2, R_3 \cdot \frac{R_2}{R_2 + \rho_3} \right)} + \frac{\sigma_1}{\wedge \left( R_1, R_3 \cdot \frac{R_1}{R_1 + \rho_2 + \rho_3}, R_2 \cdot \frac{R_1}{R_1 + \rho_2}, R_3 \cdot \frac{R_2}{R_2 + \rho_3} \cdot \frac{R_1}{R_1 + \rho_2} \right)}$$



- ✓ The bound is tight



# Conclusions and Future Work

